

ASSUMPTION

At 50 nW (equivalent to -43 dBm), the **RED LASER LIGHT** can be reliably detected when looking directly into the fiber/connector end at an ambient brightness of about 500 - 1000 lux.

At 5 nW (equivalent to -53 dBm), the **GREEN LASER LIGHT** can be reliably detected when looking directly into the fiber/connector end at an ambient brightness of about 500 - 1000 lux.

- A singlemode fiber (e.g. SMF-28) has an attenuation of about 7 dB / km at 650 nm
- A singlemode fiber (e.g. SMF-28) has an attenuation of about 17 dB / km at 520 nm
- A FIBERPOINT® ET couples approx. 350 μ W into a singlemode fiber with a core diameter of 9 μ m, which corresponds to approx. -4.5 dBm
- A **FIBERPOINT**® **250MD** couples approx. 700 μ W into a singlemode fiber with a core diameter of 9 μ m, which corresponds to approx. -1.5 dBm
- A **FIBERPOINT** $^{\circ}$ **250** couples approx. 700 μ W into a singlemode fiber with a core diameter of 9 μ m, which corresponds to approx. -1.5 dBm
- A FIBERPOINT® 250HP couples approx. 1700 μ W into a singlemode fiber with a core diameter of 9 μ m, which corresponds to approx. +2.3 dBm
- A FIBERPOINT® ET G couples approx. 350 μW into a singlemode fiber with a core diameter of 9 μm, which corresponds to approx. -4.5 dBm

ESTIMATION OF THE PERFORMANCE BUDGET

FIBERPOINT®	ET FIBERPOINT®	250 FIBERPOINT® ET G
-43 dBm - (-4.5 dBm) =>38.5 dB	-43 dBm - (-1,5 dBm) => 41.5 dB	-53 dBm - (-4.5 dBm) => 48.5 dB

-45 dbiii - (-4.5 dbiii) -> 50.5 db	-43 dbiii - (-i,5 dbiii) -> 4i.5 db	-55 dbiii - (-4.5 dbiii) -> 40.5 db
FIBERPOINT® 250MD	FIBERPOINT® 250HP	
-43 dBm - (+2,3 dBm) =>45.3 dB	-43 dBm - (+2,3 dBm) => 45.3 dB	

ESTIMATION OF THE RANGE

7 dB/km

ESTIMATION OF THE RANGE		
FIBERPOINT® ET	FIBERPOINT® 250	FIBERPOINT® ET G
$\frac{38.5 \text{ dB}}{7 \text{ dB/km}} = > \frac{\text{approx. 5.5 km}}{1 \text{ dB/km}}$	$\frac{41.5 \text{ dB}}{7 \text{ dB/km}} = \frac{\text{approx. 6.0 km}}{1000 \text{ cm}}$	$\frac{50.0 \text{ dB}}{7 \text{ dB/km}} = $ => approx. 3.0 km
FIBERPOINT® 250MD	FIBERPOINT® 250HP	
$\frac{41.5 \text{ dB}}{7 \text{ dB/km}} => \text{approx. 6.0 km}$	$\frac{45.3 \text{ dB}}{7 \text{ dB//m}} = > \text{approx. 6.5 km}$	



WE LOOK FORWARD





